



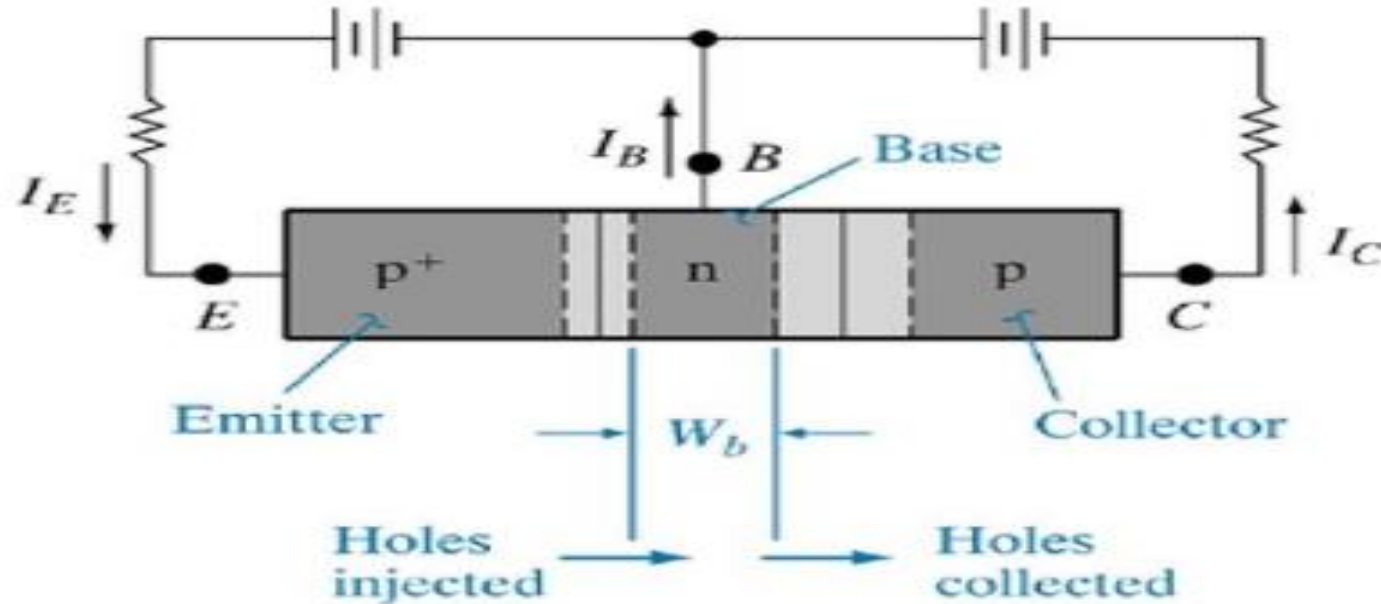
# *Unit 2 – Bipolar Junction Transistor*

## *Class 1*

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# *Fundamentals of BJT*

## Common Base Configuration



**Figure**  
A p-n-p transistor: (a) schematic representation of a p-n-p device with a forward-biased emitter junction and a reverse-biased collector junction;



## *Fundamentals of BJT*

### Requirements of Good transistor

$$W_b \ll L_p \quad W_b = \text{Length of base}$$

$$L_p = \sqrt{D_p * \tau_p}$$

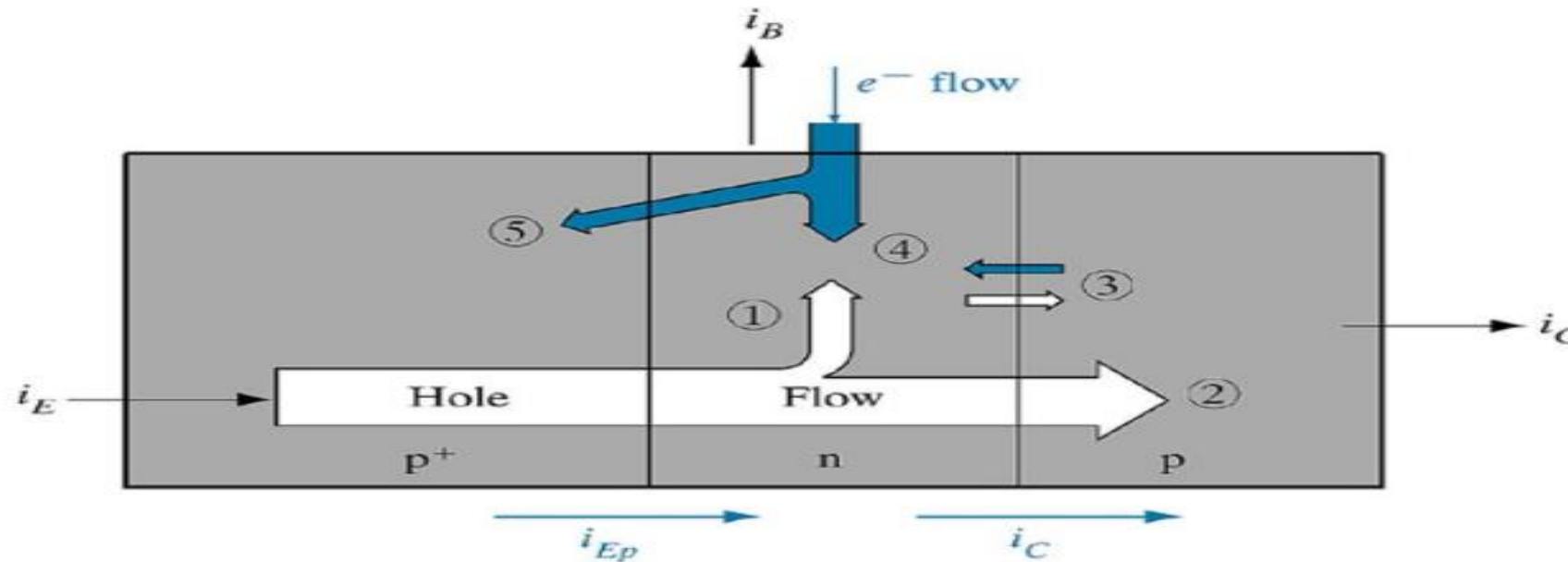
$$L_p = \text{Diffusion Length}$$

$$\tau_p = \text{hole lifetime}$$

$$D_p = \text{Diffusion constant}$$

- The minority carrier “lifetime”  $\tau_p$  measures how long a carrier is likely to stay around for before recombining,
- The *diffusion length*  $L_p$  Is the average distance that the excess carriers can cover before they recombine

# Fundamentals of BJT



**Figure**

Summary of hole and electron flow in a p-n-p transistor with proper biasing: (1) injected holes lost to recombination in the base; (2) holes reaching the reverse-biased collector junction; (3) thermally generated electrons and holes making up the reverse saturation current of the collector junction; (4) electrons supplied by the base contact for recombination with holes; (5) electrons injected across the forward-biased emitter junction.

## *Fundamentals of BJT*

Neglect saturation current at the collector and recombination in the transition regions.

$$i_C = B i_{Ep}$$

B is the base transport factor

$$\gamma = \frac{i_{Ep}}{i_{Ep} + i_{En}}$$

$\gamma$  is the emitter injection efficiency

$$i_E = i_{Ep} + i_{En}$$

total emitter current

$$\frac{i_C}{i_E} = \frac{B i_{Ep}}{i_{Ep} + i_{En}} = B \gamma \equiv \alpha$$

$\alpha$  is the total current transfer ratio or the common-base current gain

## *Fundamentals of BJT*

- Electron injection across the emitter junction ( $i_{En}$ ) and electron recombination in the base must be included to account for the base current  $i_B$

$$i_B = i_{En} + (1 - B)i_{Ep}$$

- Neglect the collector saturation current

$$\frac{i_C}{i_B} = \frac{Bi_{Ep}}{i_{En} + (1 - B)i_{Ep}} = \frac{B[i_{Ep} / (i_{En} + i_{Ep})]}{1 - B[i_{Ep} / (i_{En} + i_{Ep})]}$$

$$\frac{i_C}{i_B} = \frac{B\gamma}{1 - B\gamma} = \frac{\alpha}{1 - \alpha} \equiv \beta$$

$\beta$  is the base-to-collector current amplification factor or the common-emitter current gain

—————> Since  $\alpha$  is near unity,  $\beta$  can be large for a good transistor



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*Thank You*

*HAVE A NICE DAY*